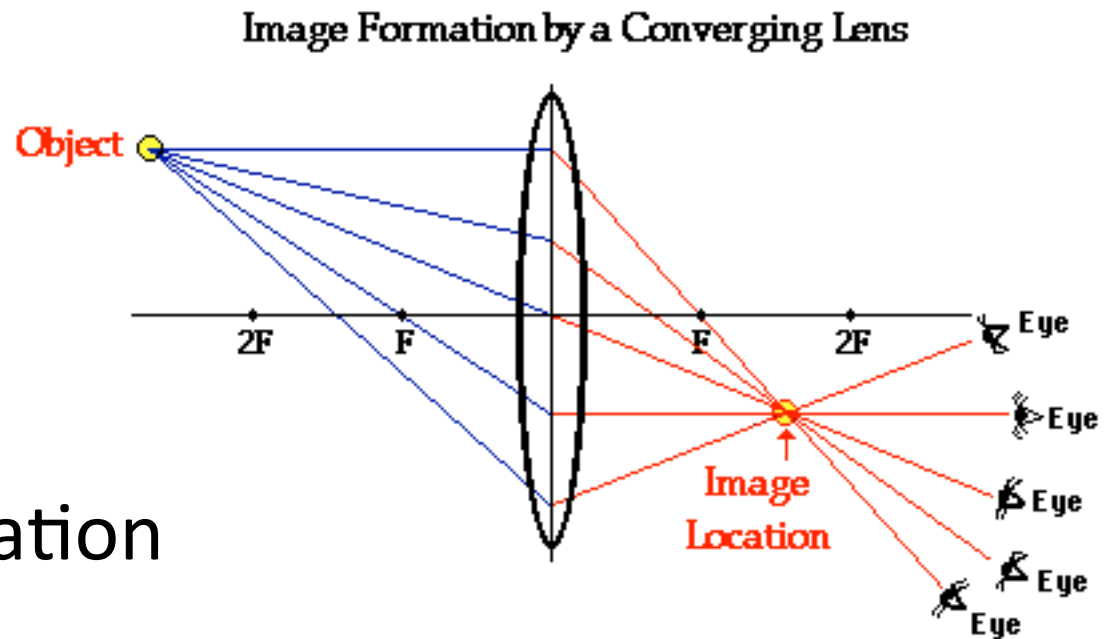


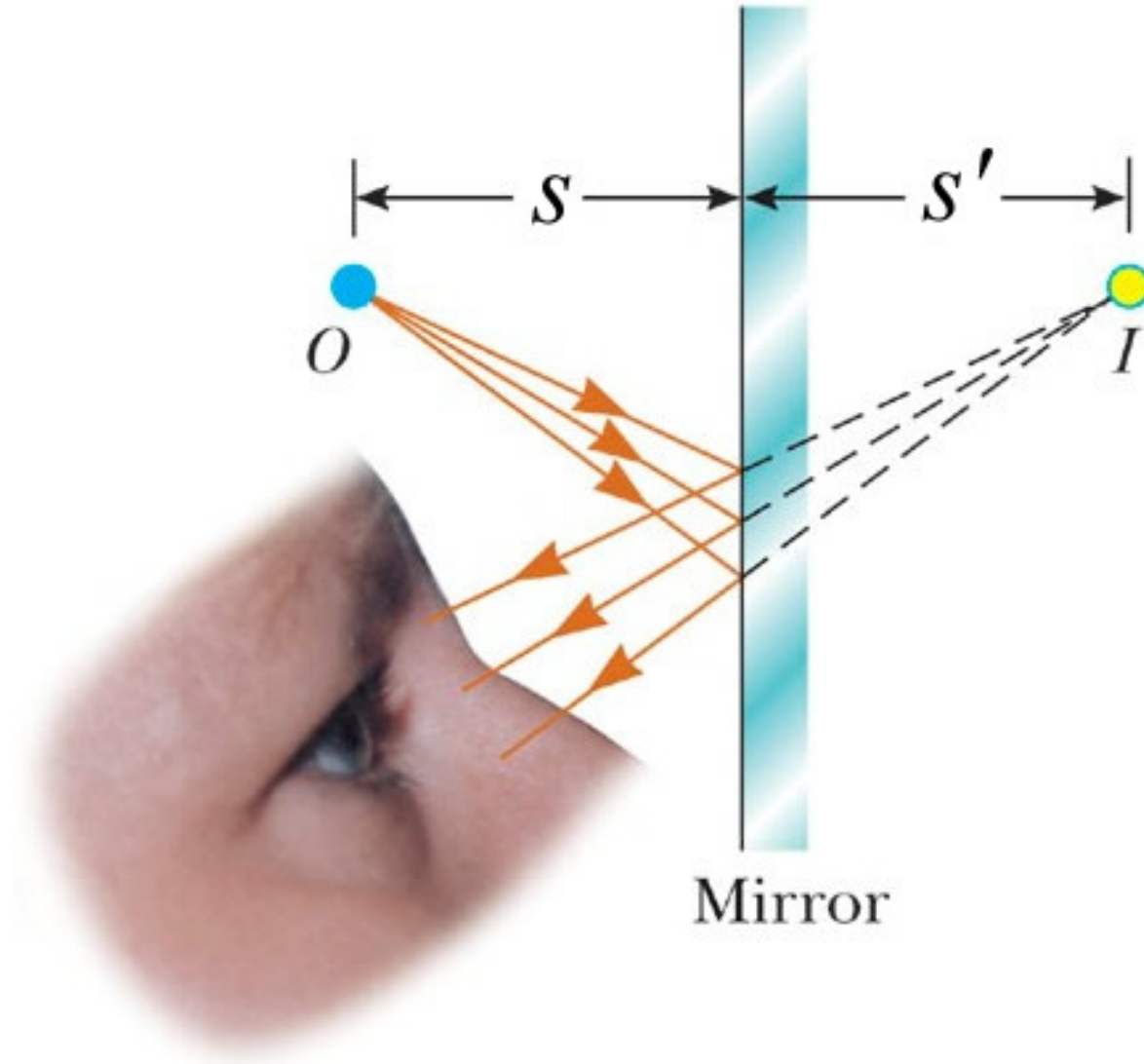
# PHY385-H1F Introductory Optics

## Class 9 – Outline: Sections 5.1, 5.2

- Geometrical Optics Introduction
- Refraction at a Curved Surface
- Thin Lens Equation
- Focal Point
- Focal Plane
- Images
- Magnification
- Lenses in Combination

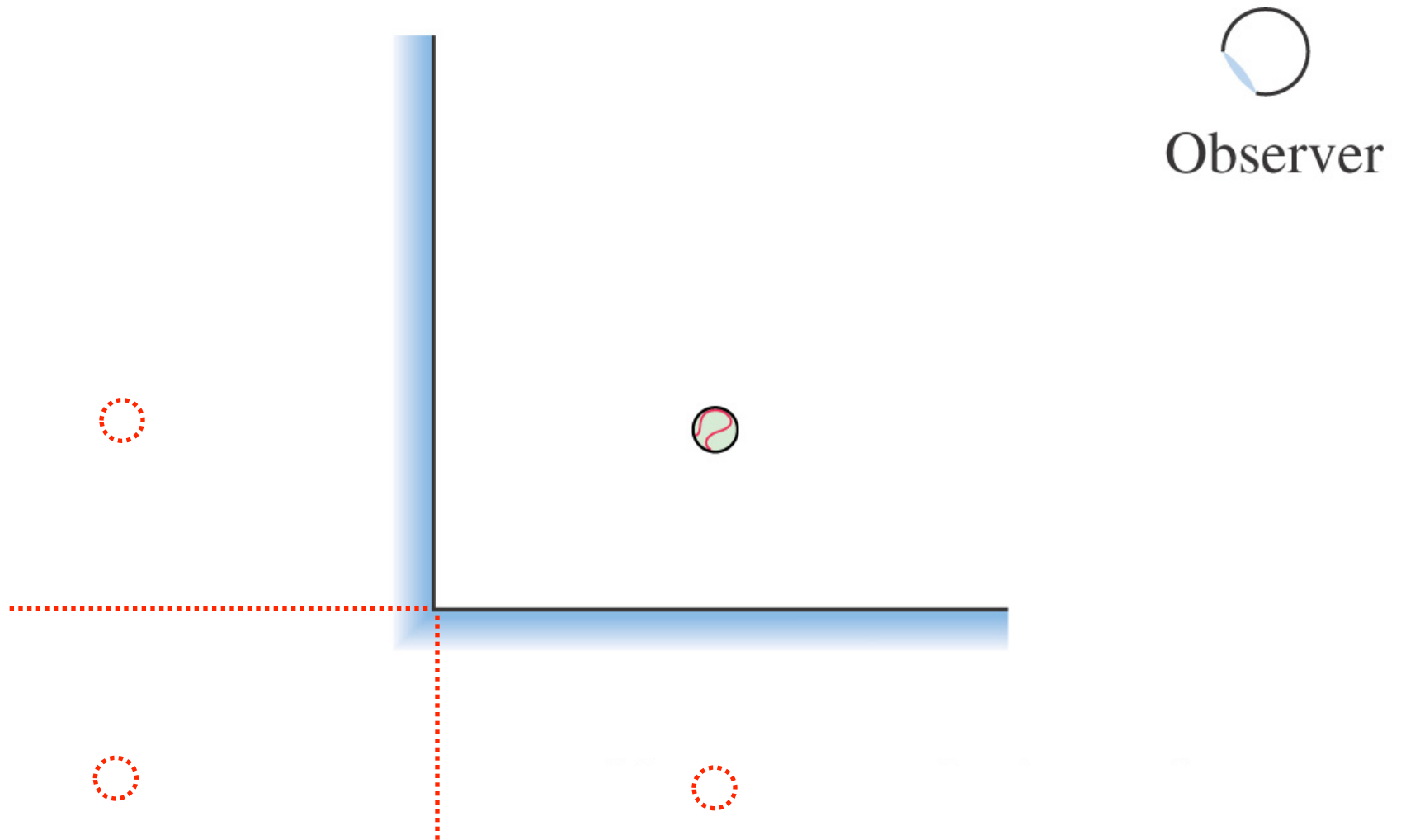


# How an image is formed

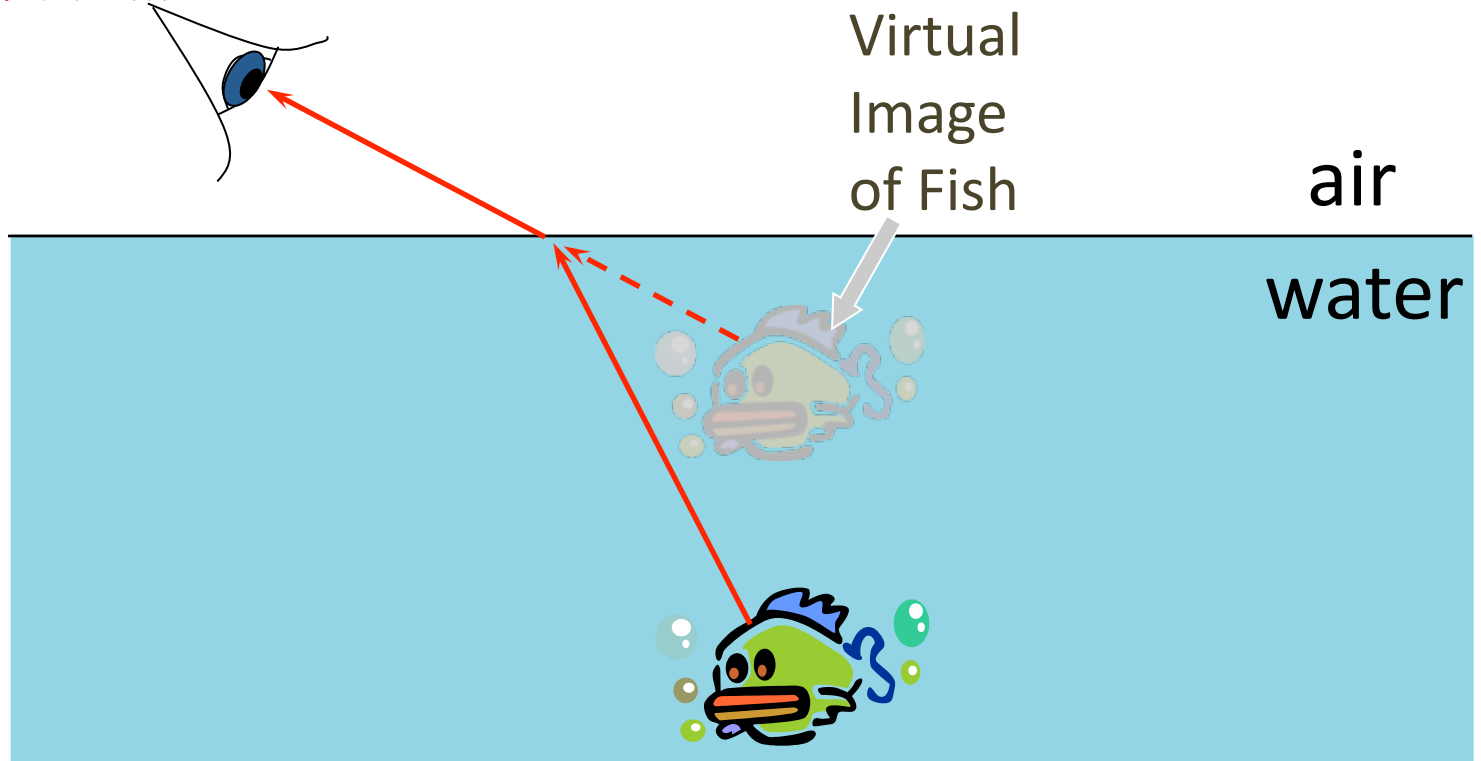


# *Finger Vote!!!* 🙋

Two plane mirrors form a right angle. How many images of the ball can you see in the mirrors?



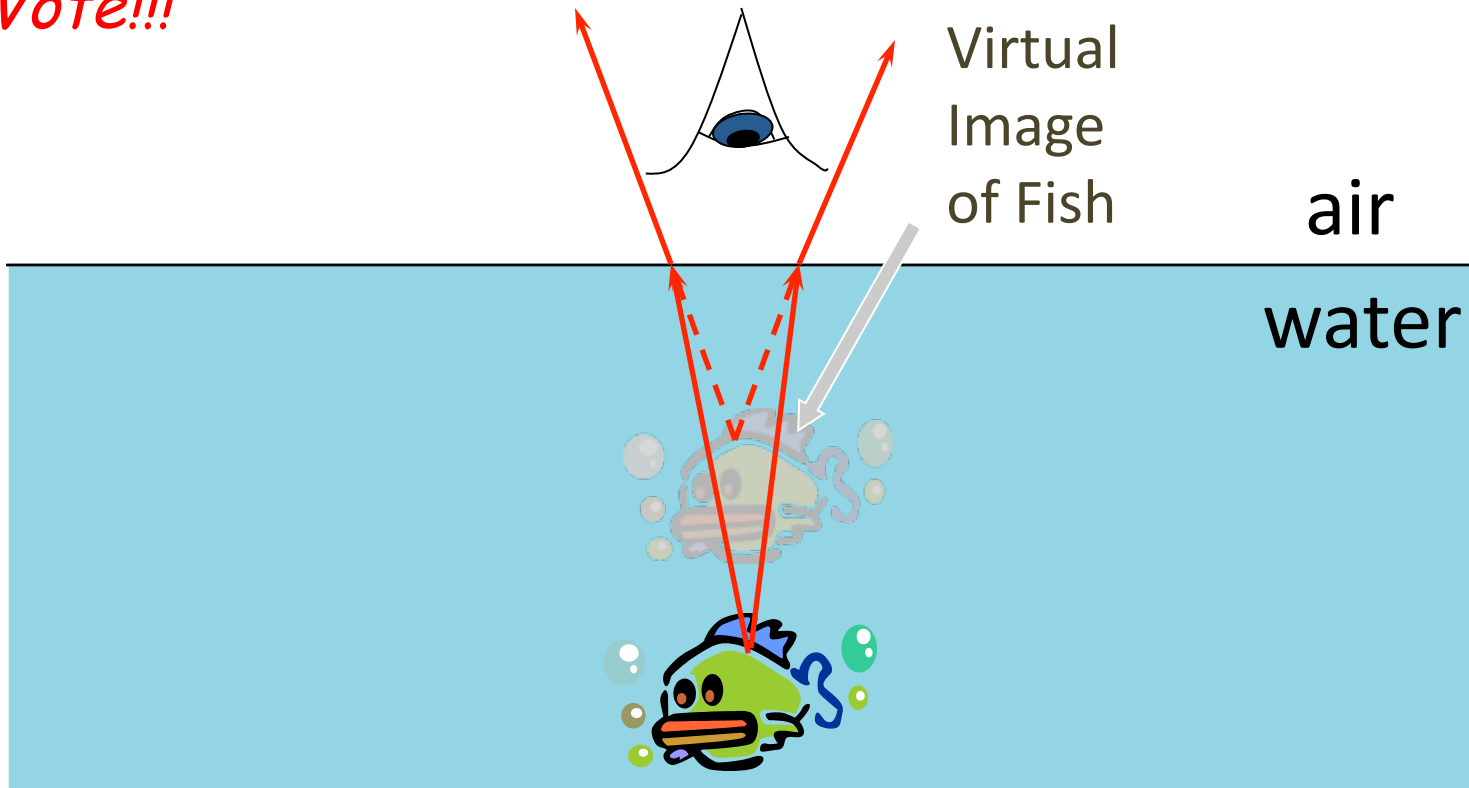
*Finger Vote!!!*



A fish swims below the surface of the water. An observer sees the fish at:

1. a greater depth than it really is.
2. its true depth.
3. a smaller depth than it really is.

Finger Vote!!!



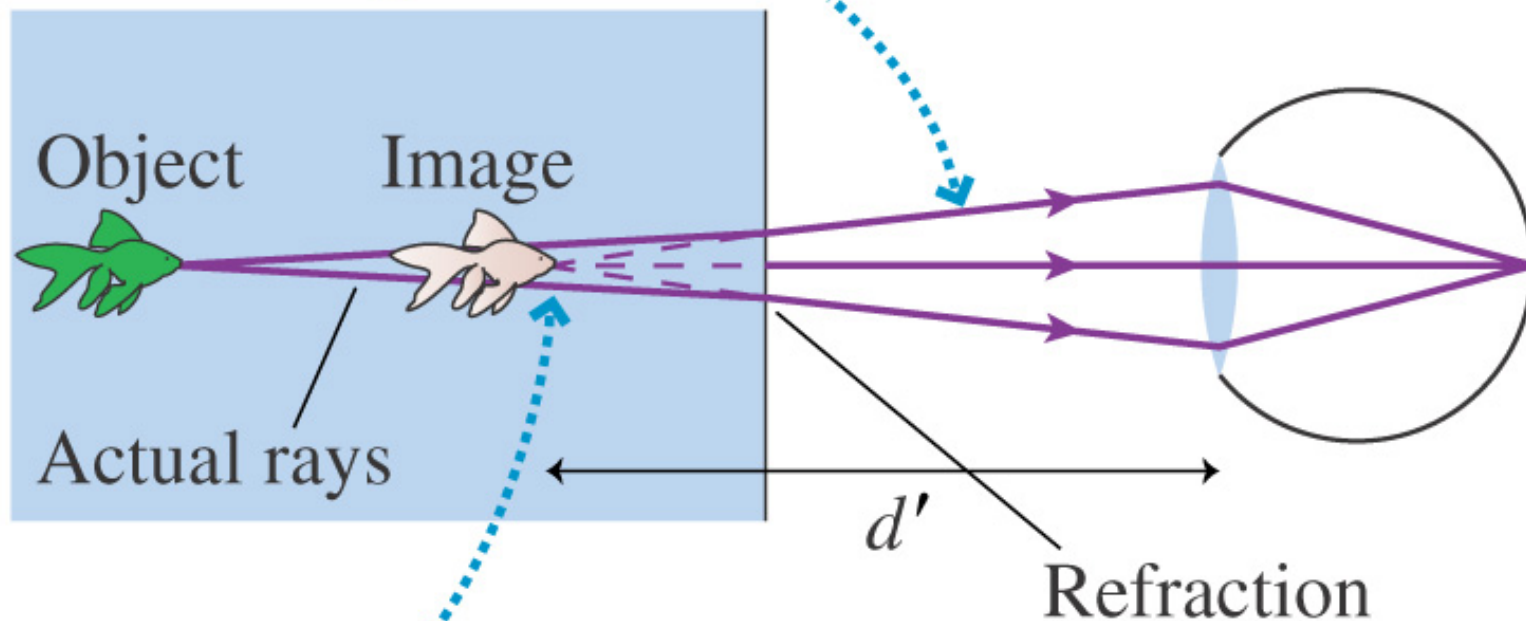
A fish swims *directly* below the surface of the water. An observer sees the fish at:

1. a greater depth than it really is.
2. its true depth.
3. a smaller depth than it really is.

# Image Formation from a Plane Surface

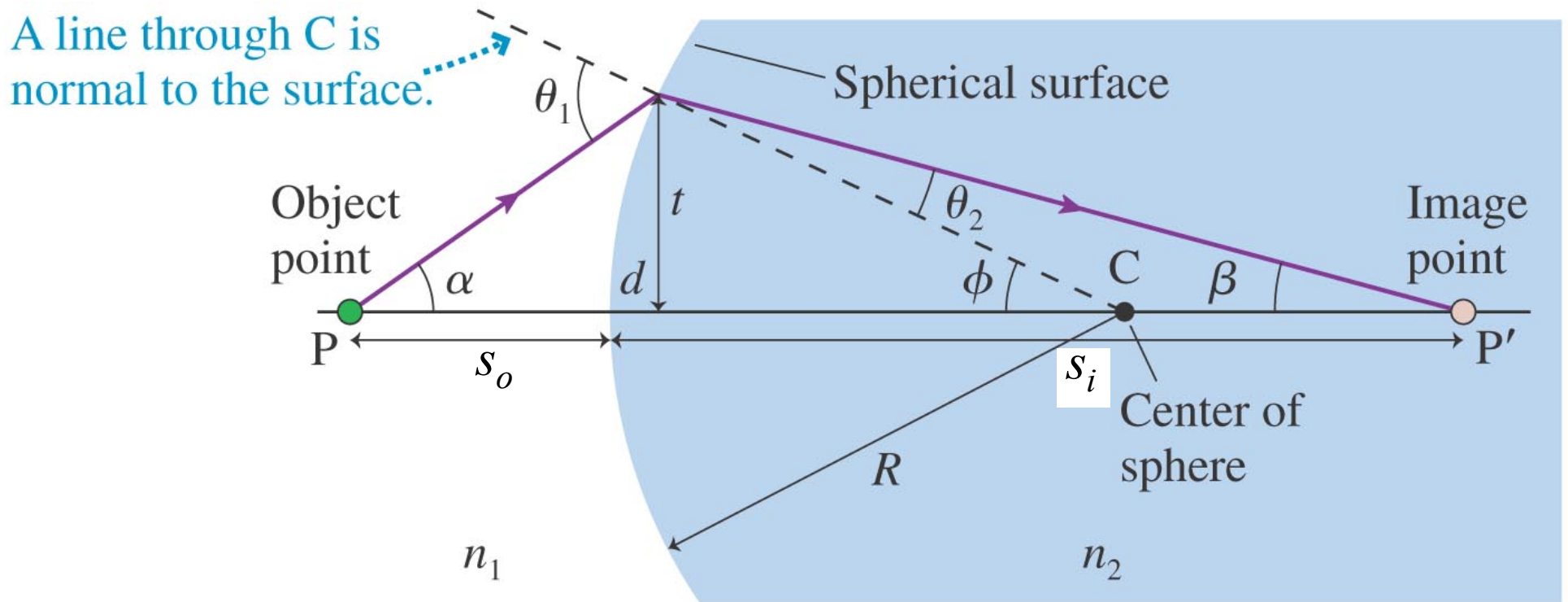
A fish in the aquarium

The eye sees the image at distance  $d'$ .



Diverging rays appear to come from this point. This is a virtual image.

## Image formation at a spherical interface



$$\frac{n_1}{s_o} + \frac{n_2}{s_i} = \frac{n_2 - n_1}{R}$$

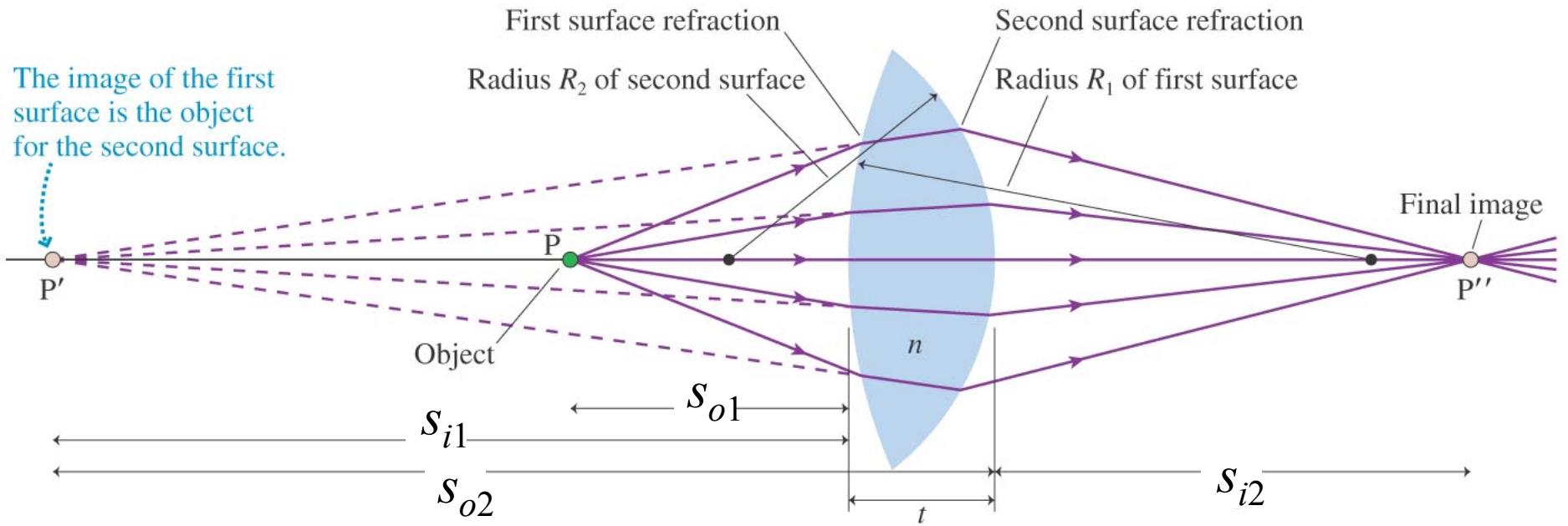
$R$  is positive means surface is convex toward the object

$R$  is negative means surface is concave toward object

$s_o$  is positive means object is to the left of interface

$s_i$  is positive means image is real, to the right of interface

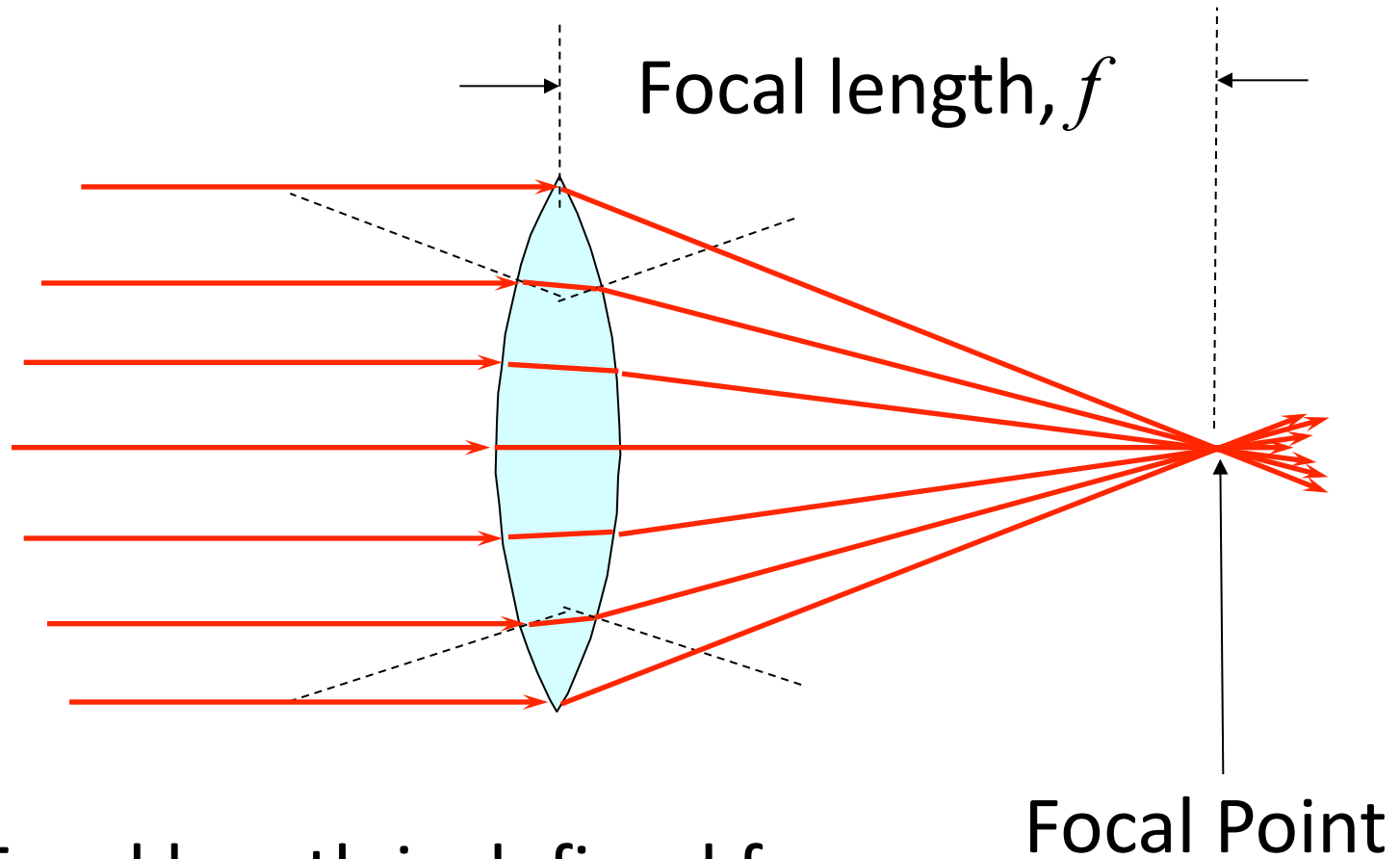
# Lensmaker's Formula



$$\frac{1}{s_{o1}} + \frac{1}{s_{i2}} = (n_l - 1) \left( \frac{1}{R_1} - \frac{1}{R_2} \right)$$

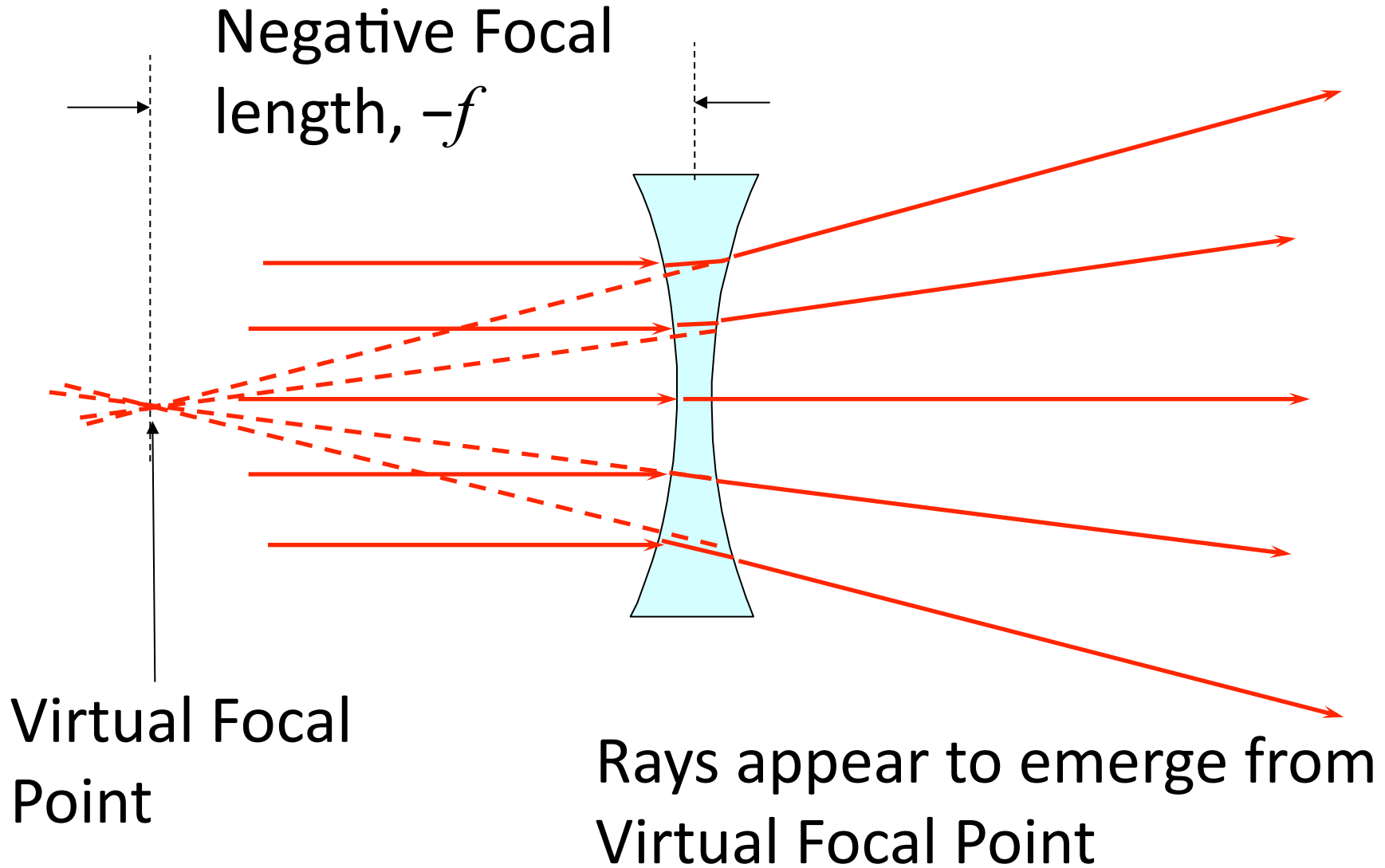


# Converging Lens

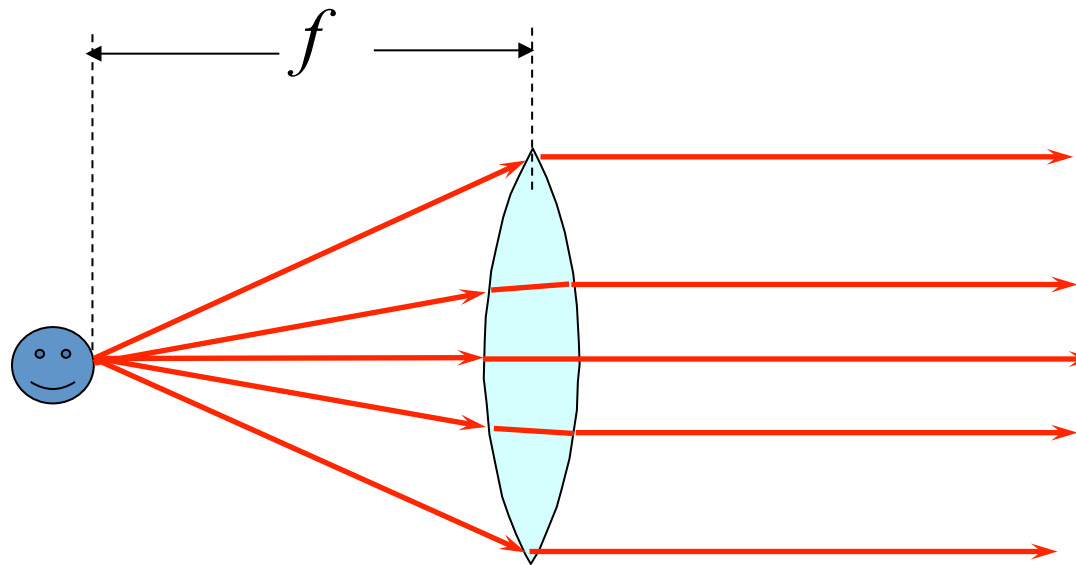


NOTE: Focal length is defined for initially *parallel* rays.

# Diverging Lens



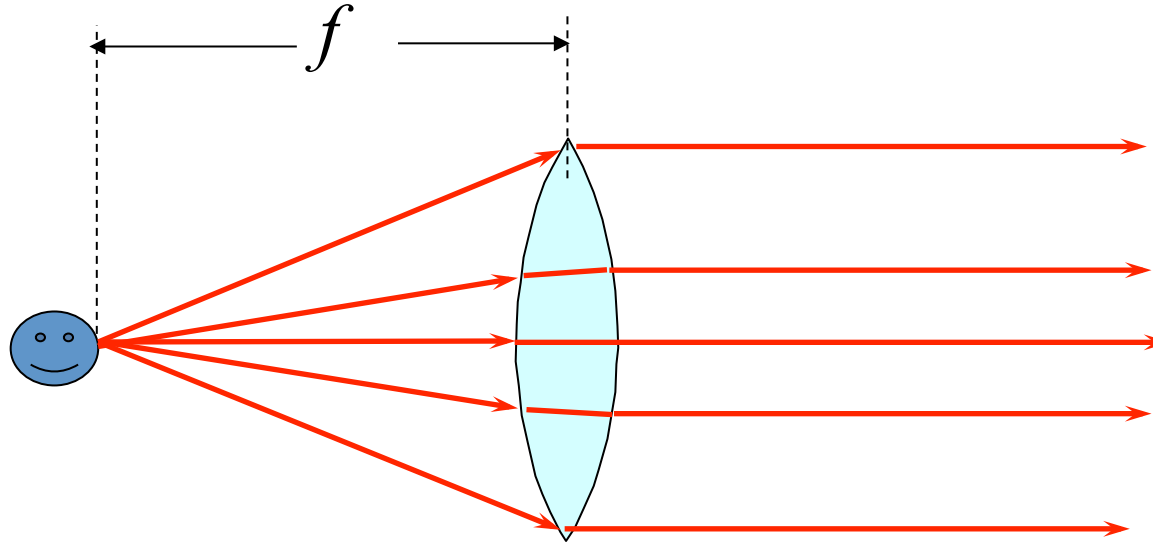
*Finger Vote!!!*



What will happen to the rays emerging to the right of the lens if the face is moved a little *closer* to the lens?

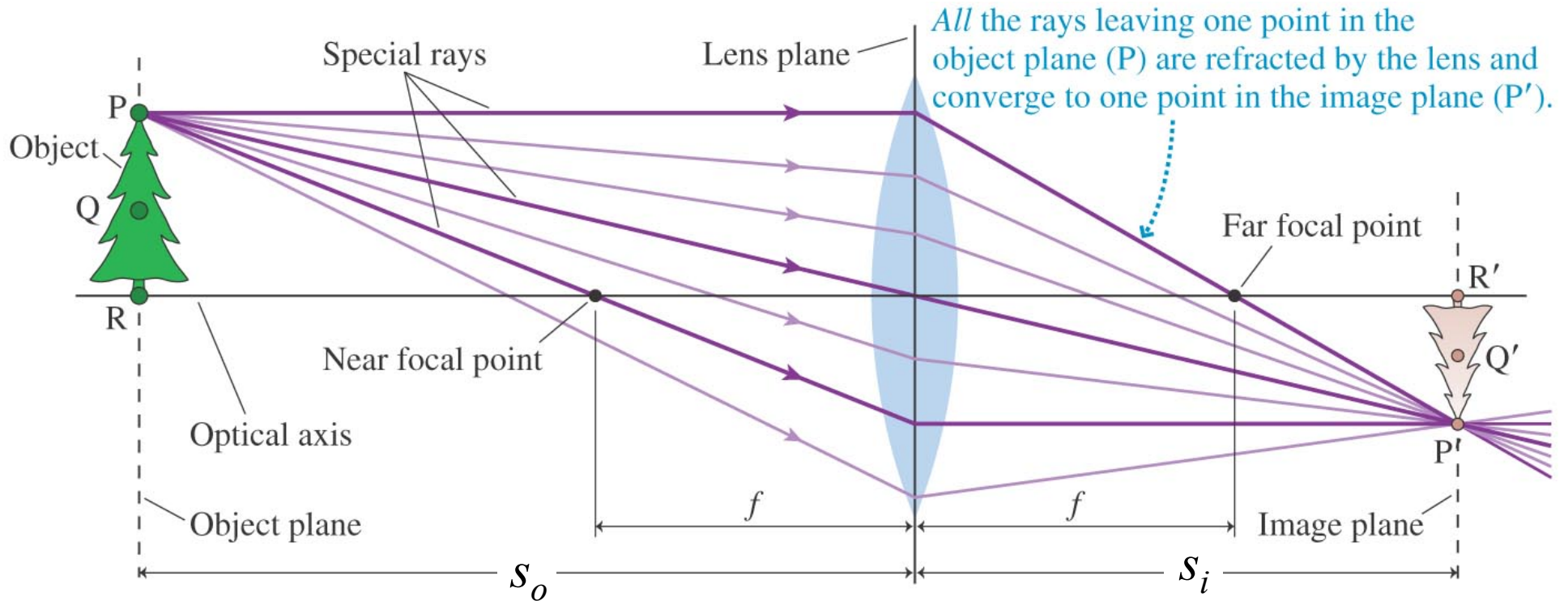
1. They will remain parallel.
2. They will diverge (spread out).
3. They will converge (toward a focus).

*Finger Vote!!!*



What will happen to the rays emerging to the right of the lens if the face is moved a little *further away* from the lens?

1. They will remain parallel.
2. They will diverge (spread out).
3. They will converge (toward a focus).



The Thin Lens Equation:

$$\frac{1}{s_o} + \frac{1}{s_i} = \frac{1}{f}$$

$f$  is positive for a converging lens

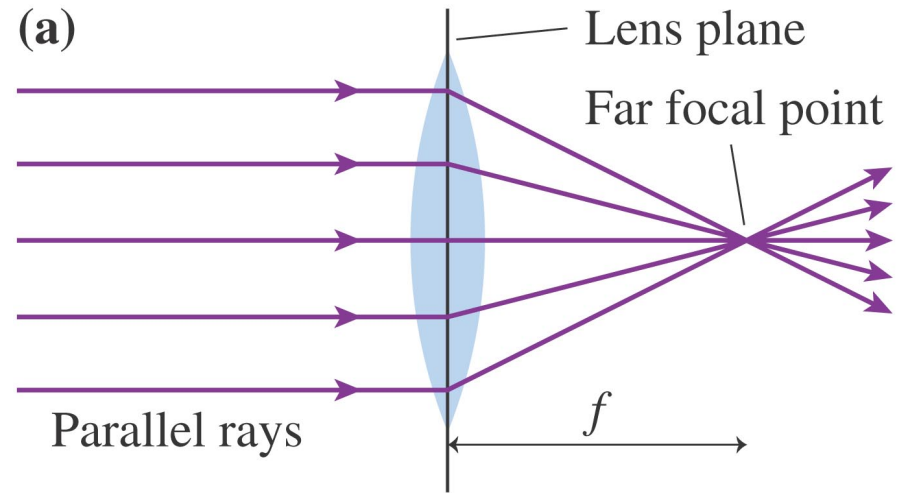
$f$  is negative for a diverging lens

$s_o$  is positive means object is real, to the left of lens

$s_i$  is positive means image is real, to the right of lens

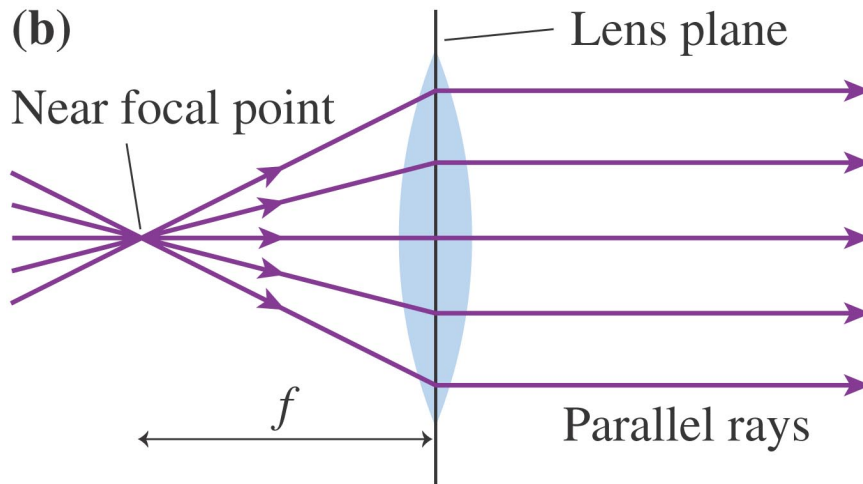
$s_i$  is negative means image is virtual, to the left of lens

# Ray Tracing With a converging thin lens



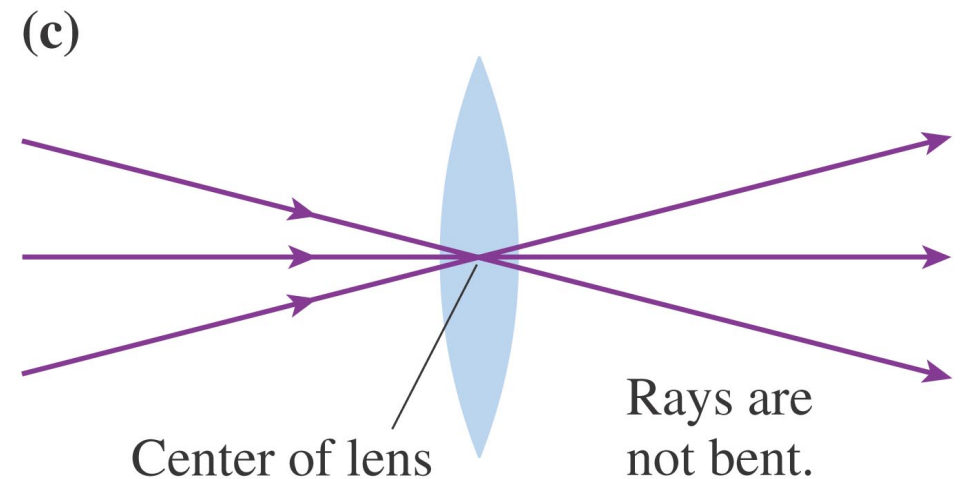
Any ray initially parallel to the optical axis will refract through the focal point on the far side of the lens.

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Any ray passing through the near focal point emerges from the lens parallel to the optical axis.

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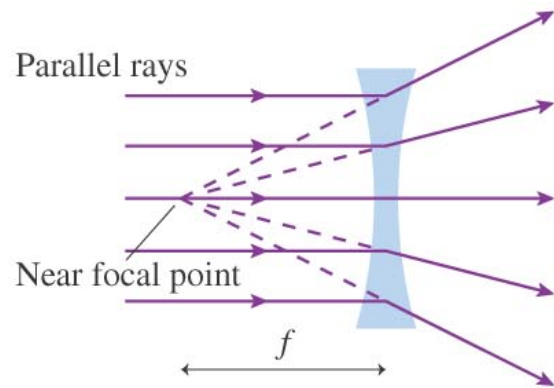


Any ray directed at the center of the lens passes through in a straight line.

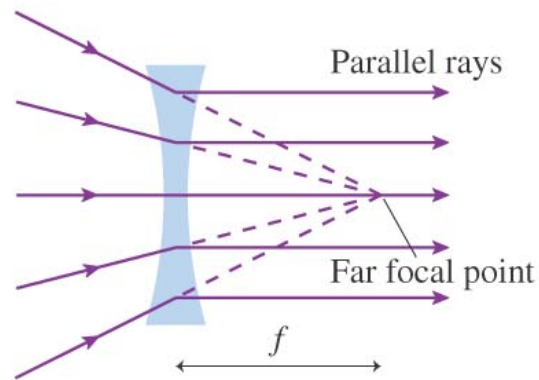
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# Ray Tracing

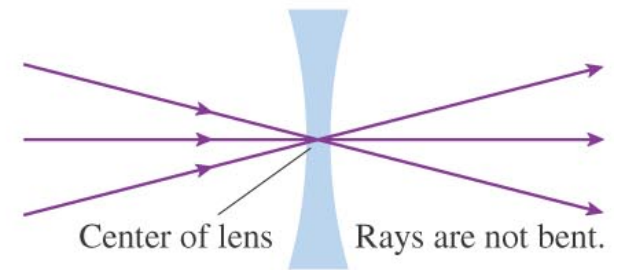
## With a diverging thin lens



Any ray initially parallel to the optical axis diverges along a line through the near focal point.



Any ray directed along a line toward the far focal point emerges from the lens parallel to the optical axis.



Any ray directed at the center of the lens passes through in a straight line.

# Thin Lens Combinations

