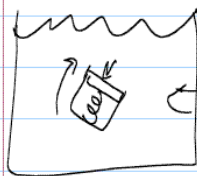


"Fluid" is something that flows, i.e.

liquid \leftarrow density does not depend on pressure (incompressible)

or gas \leftarrow density is directly related to pressure by ideal gas law.

"Pressure" is a scalar quantity \rightarrow it doesn't have direction.



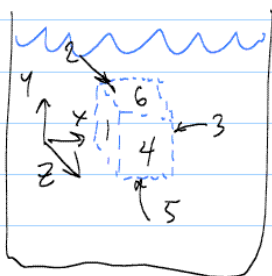
\leftarrow At any point in a fluid, a tiny piston in the beaker will be

compressed. \leftarrow This is same no matter what orientation of beaker

- "Pressure" exists everywhere in the fluid.

- Pressure tends to increase with depth in a fluid \rightarrow "hydrostatic equilibrium"

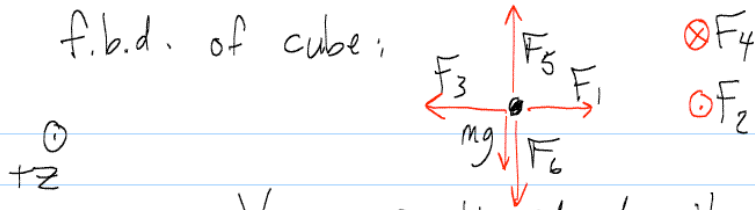
- Consider a tiny cube of liquid in a container:



1, 2, 3, 4 are sides of cube
5 = bottom of cube
6 = top of cube.

Pressure force presses inward on all 6 surfaces. \rightarrow if cube is not accelerating, the $\vec{F}_{net} = 0$.

f.b.d. of cube:



⊙
+z

$$m = \rho V, \quad \rho = \text{liquid density}$$

$$(F_{\text{net}})_x = 0 = F_1 - F_3 \Rightarrow F_1 = F_3$$

$$(F_{\text{net}})_z = 0 = F_2 - F_4 \Rightarrow F_2 = F_4$$

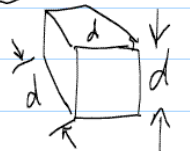
$$(F_{\text{net}})_y = 0 = F_5 - F_6 - mg \Rightarrow F_5 = F_6 + mg$$

$$P = \frac{F}{A}$$

$$\Rightarrow F = PA$$

$$P_5 A = P_6 A + \rho V g$$

$$P_5 = P_6 + \frac{\rho V g}{A}$$



$$A = d^2$$

$$V = d^3$$

$$\frac{V}{A} = \frac{d^3}{d^2} = d$$

Hydrostatic
Pressure
Equation.

$$P_{\text{bottom}} = P_{\text{top}} + \rho g d$$

→

Pressure increases with depth.

Pressure in a room is $\sim 10^5 \text{ Pa}$

↖
 P_{atm}

- We define "gauge pressure" to be the difference between actual pressure and P_{atm} .
- Pressure is always positive, or zero for a perfect vacuum.
- Gauge pressure can be negative → "partial vacuum"