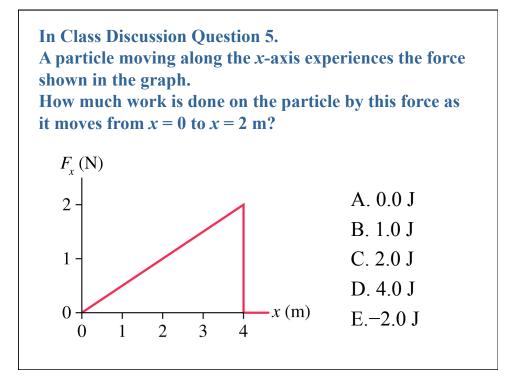




## **The Work Done by a Variable Force** To calculate the work done on an object by a force that either changes in magnitude or direction as the object moves, we use the following: $W = \int_{s_i}^{s_i} F_s \, ds = \text{area under the force-versus-position graph}$ We must evaluate the integral either geometrically, by finding the area under the cure, or by actually doing the integration.

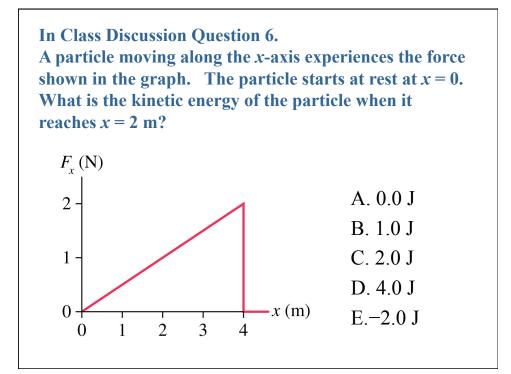


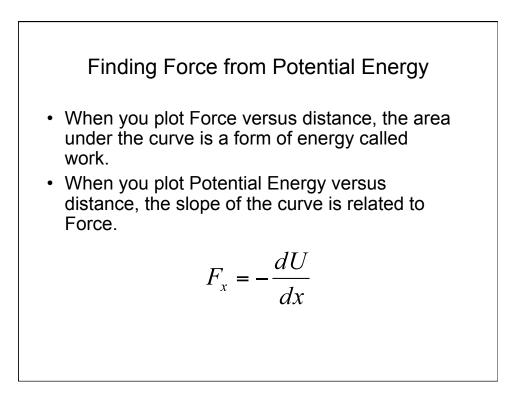
## The Work – Kinetic Energy Theorem:

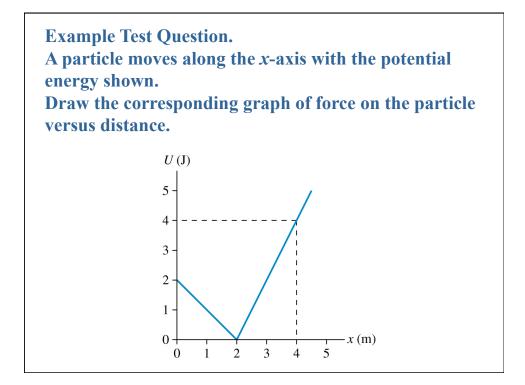
• The work done by the net force on an object as it moves is called the "net work",  $W_{\text{net}}$ .

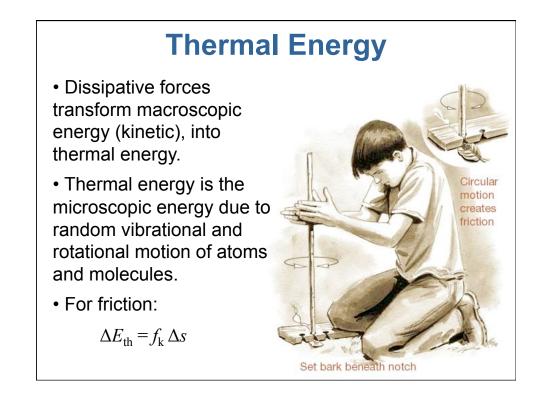
• The the net work causes the object's kinetic energy to change by:

$$\Delta K = W_{\text{net}}.$$









## The Work – Kinetic Energy Theorem:

• The the net work causes the object's kinetic energy to change by:

$$\Delta K = W_{\rm net} = W_{\rm c} + W_{\rm diss} + W_{\rm ext}$$

 $W_{\rm c} = -\Delta U$  is the work done by conservative forces, and is equal to the negative of the change in potential energy.

 $W_{\text{diss}} = -\Delta E_{\text{th}}$  is the work done by dissipative forces, and is equal to the negative of the thermal energy created.

 $W_{\rm ext}$  is the work done by other external forces.

