The Radiative Origin of the Electro-Weak and Dark Matter Scale

Wolfgang Altmannshofer waltmannshofer@perimeterinstitute.ca

PI PERIMETER INSTITUTE

High Energy Physics Seminar University of Toronto

November 3, 2014

WA, Bardeen, Bauer, Carena and Lykken

"Light Dark Matter, Naturalness, and the Radiative Origin of the Electroweak Scale" arXiv:1408.3429 [hep-ph]

- 1 The Hierarchy Problem and Naturalness
- 2 A No-Scale Model with Radiative Symmetry Breaking
- 3 Higgs Phenomenology
- 4 Dark Matter Phenomenology

5 Conclusions

The LHC Discovered the Higgs



coupling, spin and parity measurements are (so far) compatible with predictions for the elementary SM Higgs

The Hierarchy Problem

the mass of an elementary higgs is quadratically sensitive to the UV

$$(m_h^0)^2 + rac{1}{16\pi^2} (\Lambda_{\rm UV})^2 \simeq (125\,{
m GeV})^2$$

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CanadaOnlied States $9,984,670 \text{ km}^2$ - $9,826,675 \text{ km}^2$ = $157,995 \text{ km}^2$

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$$- 4 = 1 \text{ Å}^2$$
Canada United States

 $9,984,670 \text{ km}^2 \qquad - \qquad 9,826,675 \text{ km}^2 \qquad = \ 157,995 \text{ km}^2$

for $\Lambda_{UV} = M_{Planck}$, tuning of the Higgs mass would correspond to the surface area of Canada and the United States differing by approximately the size of an atom! In the absence of a symmetry (or some form of conspiracy) enforcing cancellations, the observed electro-weak scale can only be obtained by finetuning the bare Higgs mass against the radiative corrections.





In the absence of a symmetry (or some form of conspiracy) enforcing cancellations, the observed electro-weak scale can only be obtained by finetuning the bare Higgs mass against the radiative corrections.

naturalness principle:

light fundamental scalars are accompanied by new physics that cancels the quadratically divergent part of the radiative corrections



still most popular candidate: supersymmetry

ATLAS SUSY Searches* - 95% CL Lower Limits

Status: ICHEP 2014

	Model	e, μ, τ, γ	Jets	E ^{miss} T	∫£ dt[fb	Mass limit		Reference
Inclusive Searches	MSUGRACMSSM MSUGRACMSSM MSUGRACMSSM 49, 494 ² 83, 294 ² 83, 294 ² 83, 294 ² 83, 294 ² 64 83, 294 ² 64 64 64 64 64 64 64 64 64 64	$\begin{matrix} 0 \\ 1 \ e, \mu \\ 0 \\ 0 \\ 1 \ e, \mu \\ 2 \ e, \mu \\ 2 \ e, \mu \\ 1 \ 2 \ e, \mu \\ 1 \ 2 \ r, \mu - 10 \ 1 \ \ell \\ 2 \ \gamma \\ 1 \ e, \mu + \gamma \\ \gamma \\ 2 \ e, \mu \ Z \\ 0 \end{matrix}$	2-6 jets 3-6 jets 7-10 jets 2-6 jets 2-6 jets 3-6 jets 0-3 jets 0-3 jets mono-jet	Yes Yes Yes Yes Yes Yes Yes Yes Yes Yes	20.3 20.3 20.3 20.3 20.3 20.3 20.3 20.3	2. 12 3. 12 4. 15 5. 10 5.		1405.7875 ATLAS-CONF-2013-082 1908.1841 1405.7875 1405.7875 ATLAS-CONF-2013-082 1208.4888 1407.0803 ATLAS-CONF-2012-400 ATLAS-CONF-2012-401 ATLAS-CONF-2012-147 ATLAS-CONF-2012-147
3 rd gen. <u>§</u> med.	$\overline{s} \rightarrow b\overline{b}\overline{k}_{1}^{p}$ $\overline{s} \rightarrow a\overline{k}_{1}^{p}$ $\overline{s} \rightarrow a\overline{k}_{1}^{p}$ $\overline{s} \rightarrow b\overline{k}\overline{k}_{1}^{p}$	0 0 0-1 e, µ 0-1 e, µ	3 b 7-10 jets 3 b 3 b	Yes Yes Yes Yes	20.1 20.3 20.1 20.1	2 1.25 2 1.1 Te 2 1.1 Te 2 1.2 2 1.2 2 1.2 2 1.2	TeV m(ξ ² ₁)<400 GeV V m(ξ ² ₁)<450 GeV	1407.0600 1308.1841 1407.0600 1407.0600
3 rd gen. squarks direct production	$ \begin{split} & \tilde{b}_1 \tilde{b}_1, \tilde{b}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{b}_1 \tilde{b}_1, \tilde{b}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{b}_1 \tilde{b}_1, \tilde{b}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (light), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (light), \tilde{b}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{b}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 (modum), \tilde{c}_1 \rightarrow b \tilde{k}_1^0 \\ & \tilde{c}_1 \tilde{c}_1 \tilde{c}_1 + \tilde{c}_1 \tilde{c}_1 \\ & \tilde{c}_1 \tilde{c}_1 \tilde{c}_1 + \tilde{c}_1 \tilde{c}_1 \\ & \tilde{c}_1 \tilde{c}_1 \tilde{c}_1 + \tilde{c}_1 \\ & \tilde{c}_1 \tilde{c}_1 \\ & \tilde{c}_1 \tilde{c}_1 \tilde{c}_1 \\ & \tilde{c}_1$	$\begin{array}{c} 0 \\ 2 e, \mu (SS) \\ 1-2 e, \mu \\ 2 e, \mu \\ 2 e, \mu \\ 0 \\ 1 e, \mu \\ 0 \\ 1 e, \mu \\ 0 \\ 3 e, \mu (Z) \end{array}$	2 b 0.3 b 1.2 b 0.2 jets 2 jets 2 b 1 b 2 b 1 b 2 b 1 b 1 b 1 b 1 b 1 b	Yes Yes Yes Yes Yes Yes Yes Yes Yes Yes	20.1 20.3 4.7 20.3 20.3 20.1 20 20.1 20.3 20.3 20.3 20.3	100-800 GeV	າດຖື 3450 GaV າດຖື 2-24 ກິດີກາ າດຖື 3-25 GaV າດຖື 1-10 GaV າດຖື 1-10 GaV າດຖື 1-20 GaV າດຖື 1-20 GaV າດຖື 1-20 GaV າດຖື 1-25 GaV າດຖື 1-550 GaV າດຖື 1-550 GaV	1308.2831 1404.2500 1208.4805, 1209.2102 1403.4853 1403.4853 1308.2831 1407.0583 1406, 1122 1407.0608 1403.5222 1403.5222
EW direct	$ \begin{array}{l} \tilde{\ell}_{1,R}\tilde{\ell}_{1,R}, \tilde{\ell} \rightarrow \ell \tilde{\chi}_{1}^{0} \\ \tilde{\chi}_{1}^{*}\tilde{\chi}_{1}^{*}, \tilde{\chi}_{1}^{*} \rightarrow \tilde{\ell} \gamma (\tilde{r}) \\ \tilde{\chi}_{1}^{*}\tilde{\chi}_{1}^{*}, \tilde{\chi}_{1}^{*} \rightarrow \tilde{r} \gamma (r) \\ \tilde{\chi}_{1}^{*}\tilde{\chi}_{2}^{*} \rightarrow \tilde{\ell}_{1} \sqrt{\ell}_{1} \ell (\tilde{r}) , \ell \tilde{\chi}_{L}^{*} \ell (\tilde{r}) \\ \tilde{\chi}_{1}^{*}\tilde{\chi}_{2}^{*} \rightarrow \tilde{\chi}_{1}^{*} \tilde{\chi}_{2}^{*} - W \tilde{\chi}_{1}^{*} \delta \tilde{\chi}_{1}^{b} \\ \tilde{\chi}_{1}^{*}\tilde{\chi}_{2}^{*} \rightarrow W \tilde{\chi}_{1}^{*} \delta \tilde{\chi}_{1}^{b} \\ \tilde{\chi}_{2}^{*}\tilde{\chi}_{2}^{*} \tilde{\chi}_{2}^{*} \rightarrow \tilde{\chi}_{2}^{*} \\ \tilde{\chi}_{2}^{*}\tilde{\chi}_{2}^{*} \tilde{\chi}_{2}^{*} \rightarrow \tilde{\chi}_{2}^{*} \end{array} $	2 e, µ 2 e, µ 2 T 3 e, µ 2 3 e, µ 1 e, µ 4 e, µ	0 0 0 2 b 0	Yes Yes Yes Yes Yes Yes	20.3 20.3 20.3 20.3 20.3 20.3 20.3 20.3	2 90-325 GeV 3 ⁺ 160-865 GeV 3 ⁺ 100-350 GeV 3 ⁺ 100-350 GeV 3 ⁺ 100-350 GeV 3 ⁺ 20 GeV 3 ⁺ 225 GeV 3 ⁺ 285 GeV 3 ⁺ 285 GeV 3 ⁺ 285 GeV	m(² ₁)=0 GeV m(² ₁)=0 GeV m(² , 7)=0.5(m(² ₁)+m(² ₁)) m(² ₁)=0 GeV m(² , 7)=0.5(m(² ₁)+m(² ₁)) m(² ₁)=m(² ₁), m(² ₁)=0, d.5(m(²)+m(² ₁)) m(² ₁)=m(² ₁), m(²)=0, d.5(m(²)+m(²)) m(² ₁)=m(² ₁), m(²)=0, d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²))m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²)) m(²)=m(²), m(²), d.5(m(²)+m(²))m(²)) m(²)=m(²), m(²), m(²))m(²)) m(²)=m(²), m(²), m(²))m(²)) m(²)=m(²), m(²))m(²)) m(²)=m(²), m(²))m(²)) m(²)=m(²), m(²))m(²)) m(²)=m(²), m(²))m(²)) m(²)=m(²), m(²))m(²))m(²)) m(²)=m(²))m(²))m(²)) m(²))m(²))m(²)) m(²))m(²))m(²	1403.5294 1403.5294 1407.0350 1402.7029 1403.5294, 1402.7029 ATLAS-CONF-2013.093 1405.5086
Long-lived particles	$\begin{array}{l} \text{Direct} \tilde{\mathcal{K}}_{1}^{+} \tilde{\mathcal{K}}_{1}^{-} \text{ prod., long-lived } \tilde{\mathcal{K}}_{1}^{+} \\ \text{Stable, stopped } \tilde{g} \text{ R-hadron} \\ \text{GMSB, stable } \tilde{\tau}, \tilde{\mathcal{K}}_{1}^{0} {\rightarrow} \tilde{\tau}(\tilde{c}, \tilde{\mu}) {+} \tau(e, \\ \text{GMSB, } \tilde{\mathcal{K}}_{1}^{0} {\rightarrow} \tilde{\gamma}\tilde{G}, \text{ long-lived } \tilde{\mathcal{K}}_{1}^{0} \\ \tilde{q}\tilde{q}, \tilde{\mathcal{K}}_{1}^{0} {\rightarrow} qq\mu \text{ (RPV)} \end{array}$	Disapp. trk 0 .µ) 1.2 µ 2 γ 1 µ, displ. vtx	1 jet 1-5 jets	Yes Yes Yes	20.3 27.9 15.9 4.7 20.3	X1 270 GeV 532 GeV Z 532 GeV 532 GeV Z1 230 GeV 475 GeV I 230 GeV 1.0 TeV	m(\tilde{t}_{1}^{*})-m(\tilde{t}_{1}^{*})=160 MeV, $\tau(\tilde{t}_{1}^{*})$ =0.2 ns m(\tilde{t}_{1}^{*})=100 GeV, 10 µs< $\tau(\tilde{p})$ <1000 s 10 <sangle-50 0.4<$\tau(\tilde{t}_{1}^{*})$>2 ns 1.5<τ=<156 mm, BR(μ)=1, m(\tilde{t}_{1}^{*})=108 GeV</sangle-50 	ATLAS-CONF-2013-069 1310.6584 ATLAS-CONF-2013-058 1304.6310 ATLAS-CONF-2013-092
RPV	$ \begin{array}{l} \mathbb{L} \mathbb{F} \mathbb{V} \; p p \rightarrow \tilde{v}_{\tau} + X, \tilde{v}_{\tau} \rightarrow c + \mu \\ \mathbb{L} \mathbb{F} \mathbb{V} \; p p \rightarrow \tilde{v}_{\tau} + X, \tilde{v}_{\tau} \rightarrow c(\mu) + \tau \\ \mathbb{B} (\operatorname{inpar} \mathbb{F} \mathbb{P} \mathbb{V} \operatorname{CMSSM} \\ \tilde{K}_1^+ \tilde{k}_1^-, \tilde{K}_1^+ \rightarrow W \tilde{K}_1^0, \tilde{K}_1^0 \rightarrow e c \tilde{v}_{\mu}, e \mu \tilde{v}_{\nu} \\ \tilde{K}_1^+ \tilde{k}_1^-, \tilde{K}_1^+ \rightarrow W \tilde{K}_1^0, \tilde{K}_1^0 \rightarrow \tau \tau \tilde{v}_{\nu}, e \tau \tilde{v}_{\tau} \\ \tilde{K}_2^+ \tilde{k}_1^-, \tilde{K}_1^+ \rightarrow W \tilde{K}_1^0, \tilde{k}_1^0 \rightarrow \tau \tau \tilde{v}_{\nu}, e \tau \tilde{v}_{\tau} \\ \tilde{K}_2^- \tilde{v}_1^0, \tilde{k}_1^- \rightarrow b s \end{array} $	$\begin{array}{c} 2 \ e, \mu \\ 1 \ e, \mu + \tau \\ 2 \ e, \mu \ (SS) \\ 4 \ e, \mu \\ 3 \ e, \mu + \tau \\ 0 \\ 2 \ e, \mu \ (SS) \end{array}$	0-3 b 6-7 jets 0-3 b	Yes Yes Yes Yes	4.6 4.6 20.3 20.3 20.3 20.3 20.3 20.3	1, 1,1 2, 1,1 4,2 1,1 4,2 1,1 1,1 1,1 1,1 1,1 1,1 1,1 1	$\begin{array}{c} \textbf{1.61 TeV} & \lambda_{11}^{2} = 0.05, \lambda_{112} = 0.05\\ \textbf{V} & \lambda_{11}^{2} = 0.10, \lambda_{122} = 0.05\\ \textbf{STeV} & \textbf{m}(h) = (\lambda_{122}) = 0.05\\ \textbf{m}(\boldsymbol{\pi}_{1}^{2}) = 0.2 - \textbf{m}(\boldsymbol{\pi}_{1}^{2}), \lambda_{122} = 0\\ \textbf{m}(\boldsymbol{\pi}_{1}^{2}) = 0.2 - \textbf{m}(\boldsymbol{\pi}_{1}^{2}), \lambda_{122} = 0\\ \textbf{m}(\boldsymbol{\pi}_{1}^{2}) = 0.2 - \textbf{m}(\boldsymbol{\pi}_{1}^{2}), \lambda_{122} = 0\\ \textbf{BR}(y = BR(y) = BR(y) = 05. \end{array}$	1212.1272 1212.1272 1404.2500 1405.5088 1405.5088 ATLAS-CONF-2013.091 1404.250
Other	Scalar gluon pair, sgluon $\rightarrow q\bar{q}$ Scalar gluon pair, sgluon $\rightarrow t\bar{t}$ WIMP interaction (D5, Dirac χ)	2 e, µ (SS) 0	4 jets 2 b mono-jet	Yes Yes	4.6 14.3 10.5	sglutn 100-287 GeV Sglutn 350-800 GeV M* scale 704 GeV	incl. limit from 1110.2893 m(χ)<80 GeV, limit of <687 GeV for D8	1210.4826 ATLAS-CONF-2013-051 ATLAS-CONF-2012-147
	Vs = 7 TeV full data	vs ≡ 8 TeV artial data	$\sqrt{s} = full$	8 téV data		10-1	Mass scale [TeV]	

*Only a selection of the available mass limits on new states or phenomena is shown. All limits quoted are observed minus 1 or theoretical signal cross section uncertainty.

ATLAS Preliminary $\sqrt{s} = 7, 8 \text{ TeV}$

No Signs of SUSY (yet)



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- it is possible that we just missed the superpartners at the 7/8 TeV run, and they will show up at 13 TeV
- (it happend in the past: e.g. LEP and Tevatron just missed the Higgs)

A Modified Naturalness Principle

Farina, Pappadopulo, Strumia, 1303.7244 (finite naturalness); Giudice, 1307.7879 (UV naturalness)

the higgs mass is quadratically sensitive to UV thresholds

- if there are no new particles/scales above the electro-weak scale, there is no hierarchy problem (what about gravity?)
- if new particles above the electro-weak scale are sufficiently weakly coupled to the Higgs, there is also no hierarchy problem

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can be used as a constraint on new physics:

- ▶ right handed neutrinos from a see-saw mechanism have to be lighter than $\sim 10^7$ GeV in order to avoid fine-tuning
- minimal dark matter particles are typically bounded at the level of ~ 1 TeV in order to avoid fine-tuning

What about Gravity?



"I THINK YOU SHOULD BE MORE EXPLICIT HERE IN STEP TWO,"

Three Categories of Miracles

(Giudice, 1307.7879)

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miracle of the second degree:

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AND leads all SM couplings to fixed points (no Landau poles)

miracle of the first degree:

gravity does do not affect the Higgs mass

- AND leads all SM couplings to fixed points
- AND erases any large quantum correction to the Higgs mass from physics below the Planck scale

No-Scale Models

finite naturalness is guaranteed if there are no scales in the theory (Planck scale does not count, because one assumes gravity performs a miracle of third or maybe second degree)

electro-weak scale has to be generated dynamically

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 strong dynamics: use technicolor to give mass to an elementary Higgs (Hur, Ko 1103.2571; Heikinheimo, et al. 1304.7006; Holthausen, et al. 1310.4423)

No-Scale Models

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- strong dynamics: use technicolor to give mass to an elementary Higgs (Hur, Ko 1103.2571; Heikinheimo, et al. 1304.7006; Holthausen, et al. 1310.4423)
- Coleman-Weinberg: quartic of another scalar runs negative in the IR (many papers in the last few years)

$$V_{
m eff}(\Sigma) \sim \lambda \Sigma^4 + eta_\lambda \Sigma^4 \log \Sigma \ , \quad \lambda < 0 \ , \ eta_\lambda > 0$$

electro-weak symmetry breaking generated by a negative Higgs portal

$$\lambda_{\Sigma H} \Sigma^{\dagger} \Sigma H^{\dagger} H \quad
ightarrow \quad rac{\lambda_{\Sigma H} \langle \Sigma \rangle^2}{2} H^{\dagger} H$$

The Model

No Scales and a Dark Portal

a complex scalar serves as portal to a dark sector

$$\mathcal{L}_{\text{scalar}} = |\boldsymbol{D}\boldsymbol{H}|^2 + |\boldsymbol{D}\boldsymbol{\Sigma}|^2 - \frac{\lambda_H}{2}|\boldsymbol{H}|^4 - \frac{\lambda_{\boldsymbol{\Sigma}}}{2}|\boldsymbol{\Sigma}|^4 - \lambda_{\boldsymbol{\Sigma}\boldsymbol{H}}|\boldsymbol{H}|^2|\boldsymbol{\Sigma}|^2$$

Possibilities for Dark Matter

- pseudoscalar component of the complex dark scalar (Gabrielli, et al. 1309.6632)
- dark gauge boson that gets mass from eating a Goldstone from the complex portal scalar (Hambye, Strumia 1306.2329)
- dark fermions that gets mass from Yukawa couplings to the complex portal scalar (WA, Bardeen, Bauer, Carena, Lykken 1408.3429)

$$\beta_{\lambda_{\Sigma}} \sim \frac{1}{16\pi^2} \Big(+ quartics + gauge couplings - Yukawas \Big)$$

Dark Gauge Interactions

• introduce a dark $SU(2)_X \times U(1)_X$ gauge group

$$\mathcal{L}_{ ext{gauge}} = rac{1}{4} (\textit{W}_{a}')_{\mu
u} (\textit{W}_{a}')^{\mu
u} + rac{1}{4} (\textit{B}')_{\mu
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u}$$

- the dark scalar Σ is a $SU(2)_X$ doublet with $U(1)_X$ charge 1/2
- a dark scalar vev (Σ) = w breaks the dark gauge group down to a dark U(1) (dark electro-magnetism)
- dark sector contains a massless dark photon, massive dark W and dark Z

$$m_{\gamma'} = 0 \;, \;\; m_{W'} = rac{w}{2} g_X \;, \;\; m_{Z'} = rac{w}{2} \sqrt{g_X^2 + {g_X'}^2}$$

• (we don't consider kinetic mixing between $U(1)_X$ and $U(1)_Y$)

The Dark Fermion Sector

▶ we introduce two generations of dark "leptons"

left-handed doublets $\psi_i^L = \begin{pmatrix} \chi_i^L \\ \xi_i^L \end{pmatrix}$, right-handed singlets χ_i^R , ξ_i^R

 the two generations have opposite hypercharges to ensure cancellation of anomalies

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 the two generations have opposite hypercharges to ensure cancellation of anomalies

$$\begin{aligned} \mathcal{L}_{\text{fermion}} &= i\bar{\psi}_i^L \mathcal{D} \psi_i^L + i\bar{\chi}_i^R \mathcal{D} \chi_i^R + i\bar{\xi}_i^R \partial \xi_i^R \\ &+ (Y_{\chi_1}\bar{\psi}_1^L \chi_1^R \tilde{\Sigma} + Y_{\chi_2} \bar{\psi}_2^L \chi_2^R \Sigma + Y_{\xi_1} \bar{\psi}_1^L \xi_1^R \Sigma + Y_{\xi_2} \bar{\psi}_2^L \xi_2^R \tilde{\Sigma} + \text{h.c.}) \end{aligned}$$

fermions get masses from Yukawa interactions with the dark scalar

$$m_{\chi_i} = rac{\mathsf{Y}_{\chi_i}}{\sqrt{2}} \mathsf{w} \;, \;\; m_{\xi_i} = rac{\mathsf{Y}_{\xi_i}}{\sqrt{2}} \mathsf{w}$$

 2 massive, dark-charged "electrons" and 2 massive, neutral "neutrinos"

Wolfgang Altmannshofer

Radiative Symmetry Breaking

$$\begin{aligned} \frac{d\lambda_{\Sigma}}{dt} &= \beta_{\lambda_{\Sigma}} = \frac{1}{16\pi^2} \Big(12\lambda_{\Sigma}^2 + 4\lambda_{\Sigma H}^2 \\ &+ \frac{9}{4}g_X^4 + \frac{3}{4}(g_X')^4 + \frac{3}{2}g_X^2(g_X')^2 - 9g_X^2\lambda_{\Sigma} - 3(g_X')^2\lambda_{\Sigma} \\ &- 4\sum_i (Y_{\xi_i}^4 + Y_{\chi_i}^4) + 4\lambda_{\Sigma}\sum_i (Y_{\xi_i}^2 + Y_{\chi_i}^2) \Big) \end{aligned}$$

sizeable gauge couplings drive the dark quartic negative in the IR and a dark scalar vev is generated dynamically

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- sizeable gauge couplings drive the dark quartic negative in the IR and a dark scalar vev is generated dynamically
- dark scalar vev is transmitted to the visible sector by the portal coupling

$$rac{\langle H
angle^2}{\langle \Sigma
angle^2} = rac{v^2}{w^2} \simeq -rac{\lambda_{\Sigma H}}{\lambda_H}$$

Scalar Spectrum

▶ due to the portal coupling, the dark scalar and the Higgs mix

$$\mathcal{M}^{2} \simeq \frac{v^{2}}{2} \begin{pmatrix} 2\lambda_{H} & -2\sqrt{\lambda_{H}|\lambda_{\Sigma H}|} \\ -2\sqrt{\lambda_{H}|\lambda_{\Sigma H}|} & 2|\lambda_{\Sigma H}| + \lambda_{H}\beta_{\lambda_{\Sigma}}/|\lambda_{\Sigma H}| \end{pmatrix}$$
$$\begin{pmatrix} h \\ s \end{pmatrix} \rightarrow \begin{pmatrix} c_{\alpha} & s_{\alpha} \\ -s_{\alpha} & c_{\alpha} \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix}, \quad \sin 2\alpha = \frac{2\sqrt{\lambda_{H}|\lambda_{\Sigma H}|}v^{2}}{m_{s}^{2} - m_{h}^{2}}$$

Scalar Spectrum

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$$\begin{split} \mathcal{M}^2 &\simeq \frac{v^2}{2} \begin{pmatrix} 2\lambda_H & -2\sqrt{\lambda_H|\lambda_{\Sigma H}|} \\ -2\sqrt{\lambda_H|\lambda_{\Sigma H}|} & 2|\lambda_{\Sigma H}| + \lambda_H \beta_{\lambda_{\Sigma}}/|\lambda_{\Sigma H}| \end{pmatrix} \\ \begin{pmatrix} h \\ s \end{pmatrix} &\to \begin{pmatrix} c_\alpha & s_\alpha \\ -s_\alpha & c_\alpha \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix} , \quad \sin 2\alpha = \frac{2\sqrt{\lambda_H|\lambda_{\Sigma H}|}v^2}{m_s^2 - m_h^2} \end{split}$$

- mass of the (mostly) Higgs is corrected compared to the SM value
- mass of the (mostly) dark scalar is proportional to the beta function of the dark quartic

$$m_h^2 \simeq v^2 \left(\lambda_H - \frac{2\lambda_{\Sigma H}^2}{\beta_{\lambda_{\Sigma}} - 2|\lambda_{\Sigma H}|} \right) , \ m_s^2 \simeq v^2 \left(\frac{\lambda_H \beta_{\lambda_{\Sigma}}}{2|\lambda_{\Sigma H}|} + \frac{\beta_{\lambda_{\Sigma}}|\lambda_{\Sigma H}|}{\beta_{\lambda_{\Sigma}} - 2|\lambda_{\Sigma H}|} \right)$$

Vacuum Stability

► in the SM the Higgs quartic runs negative at a scale ~ 10¹⁰ GeV

Buttazzo, et al. 1307.3536 0.10 3σ bands in 0.08 $M_t = 173.3 \pm 0.8 \text{ GeV} (\text{gray})$ $\alpha_3(M_Z) = 0.1184 \pm 0.0007$ (red) 0.06 $M_h = 125.1 \pm 0.2 \text{ GeV}$ (blue) Higgs quartic coupling λ 0.04 0.02 $M_t = 171.1 \text{ GeV}$ 0.00 $(M_{\gamma}) = 0.1205$ -0.02 $\alpha_{c}(M_{2}) = -0.1163$ $M_{t} = 175.6 \, \text{GeV}$ -0.04 10^{10} 10^{2} 10^{4} 10^{6} 10^{8} 10^{12} 10^{14} 1016 1018 10^{20}

RGE scale μ in GeV

Radiative Origin of the EW and DM scale

Vacuum Stability

- ► in the SM the Higgs quartic runs negative at a scale ~ 10¹⁰ GeV
- electro-weak vacuum is only meta-stable

Buttazzo, et al. 1307.3536



Vacuum Stability

- in the SM the Higgs quartic runs negative at a scale
 ~ 10¹⁰ GeV
- electro-weak vacuum is only meta-stable
- mixing with the scalar changes the IR boundary conditions

 $\lambda_{H}(m_{h}) \simeq \lambda_{H}^{\mathrm{SM}}(m_{h}) + rac{2\lambda_{\Sigma H}^{2}}{eta_{\lambda_{\Sigma}} - 2|\lambda_{\Sigma H}|}$

 scalar potential can be absolutely stable (see also Elias-Miro, et al. 1203.0237)



Renormalization Group Evolution

example point in parameter space

 $\begin{array}{l} m_h \simeq 125.5 \; {\rm GeV} \;, \;\; m_s \simeq 168 \; {\rm GeV} \\ m_{W'} \simeq 740 \; {\rm GeV} \;, \;\; m_{Z'} \simeq 850 \; {\rm GeV} \\ m_{\chi_1} \simeq 50 \; {\rm GeV} \;, \;\; m_{\chi_2} \simeq 50 \; {\rm GeV} \\ m_{\xi_1} \simeq 160 \; {\rm GeV} \;, \;\; m_{\xi_2} \simeq 700 \; {\rm GeV} \end{array}$

 SU(2)_X gauge coupling is asymptotically free

$U(1)_X$ gauge coupling

becomes large close to the Planck scale



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 SU(2)_X gauge coupling is asymptotically free

 $U(1)_X$ gauge coupling becomes large close to the Planck scale

- Yukawa couplings show only mild scale dependence
- ► parameter point was chosen such that the Higgs quartic, the dark scalar quartic and their beta functions are ~ 0 at the Planck scale



Higgs Phenomenology

Reduced Signal Strength of the SM Higgs

 due to mixing with the dark scalar, higgs production is universally suppressed

 $\sigma = \mathbf{C}_{\alpha}^{\mathbf{2}} \times \sigma_{\mathsf{SM}}$

 bound on the mixing angle

 $c_lpha\gtrsim 0.9$





► if kinematically allowed, the Higgs can decay into dark fermions

$$\begin{split} \Gamma(h \to \chi \bar{\chi}) &= \\ &= \frac{Y_{\chi}^2}{8\pi} \; m_h \, s_{\alpha}^2 \; \left(1 - \frac{4m_{\chi}^2}{m_h^2} \right)^{\frac{3}{2}} \end{split}$$

- ► for sizable mixing, the branching ratio can be O(10%)
- could be probed at a high luminosity LHC

Signals of the Dark Scalar



- looks like a second Higgs with couplings to SM reduced by s_α
- but invisible decays to dark sector can be sizable if kinematically allowed

$$\Gamma(s \to \chi \bar{\chi}) =$$

$$=\frac{Y_{\chi}^2}{8\pi}\,m_h\,\boldsymbol{c}_{\alpha}^2\,\left(1-\frac{4m_{\chi}^2}{m_h^2}\right)^{\frac{3}{2}}$$

0

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2



- $\blacktriangleright\,$ dark scalar is expected below $\lesssim 250~GeV$
- current Higgs searches already constrain parts of the parameter space
- expect signal strength of at least few % of the SM Higgs

Dark Matter Phenomenology

Dark Matter Annihilation

- four dark fermions: χ_1^{\pm} , χ_2^{\pm} , ξ_1^0 , ξ_2^0
- ► three lightest are always stable
- if kinematically allowed, heaviest can decay into the other three through W exchange (e.g. ξ₂⁰ → ξ₁⁰χ₂⁺χ₁⁻)

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- the charged dark fermions can annihilate into dark photons
- ► 5%-10% charged dark matter component can be compatible with constraints

(Fan, Katz, Randall, Reece 1303.1521)



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- only unsuppressed annihilation channel of the neutral dark fermions is into the charged dark fermions
- \rightarrow want $m_{\xi} > m_{\chi}$



Dark Matter Relic Density



- for given gauge couplings, ξ⁰₁ relic abundance depends strongly on its mass
- ► right relic abundance is easily obtained by adjusting m_{ξ1} ~ Y_{ξ1}

Dark Matter Direct Detection





- direct detection cross section suppressed by the Higgs mixing
- still 1-2 orders of magnitude below the current LUX constraint
- LZ should be able to cover essentially the full parameter space

 no-scale models avoid fine-tuning of the Higgs mass (if gravity has special properties)

- ➤ discussed a specific model, where the electro-weak scale and the dark matter scale are generated dynamically from the radiative breaking of a SU(2)_X × U(1)_X gauge group in a dark sector
- model makes testable predictions for
 - \rightarrow higgs signal strengths
 - ightarrow collider signals of the dark scalar
 - \rightarrow dark matter direct detection
 - ightarrow number of relativistic dof's in the early universe

"Of course, going from Higgs and no SUSY to modified naturalness [...] is risky.

Of course, it is much more reasonable to imagine ant***ic selection within a SUSY multiverse of branes wrapped on compactified 6 or 7 extra dimensions."

A. Strumia

Back Up

One Loop Effective Potential

$$\begin{split} V_{\text{eff}}(h,s) &\simeq \quad \frac{1}{8} \lambda_{H}(\mu_{h}) h^{4} + \frac{1}{4} \lambda_{\Sigma H}(\mu_{sh}) h^{2} s^{2} + \frac{1}{8} \lambda_{\Sigma}(\mu_{s}) s^{4} \\ &+ \quad \frac{1}{16\pi^{2}} \Biggl\{ -3m_{t}^{2} \left[\log\left(\frac{m_{t}^{2}}{\mu_{h}^{2}}\right) - \frac{3}{2} \right] \\ &+ \frac{3}{2} m_{W}^{2} \left[\log\left(\frac{m_{W}^{2}}{\mu_{h}^{2}}\right) - \frac{5}{6} \right] + \frac{3}{4} m_{Z}^{2} \left[\log\left(\frac{m_{Z}^{2}}{\mu_{h}^{2}}\right) - \frac{5}{6} \right] \Biggr\} \\ &+ \quad \frac{1}{16\pi^{2}} \Biggl\{ -\sum_{i} m_{\chi_{i}}^{2} \left[\log\left(\frac{m_{\chi_{i}}^{2}}{\mu_{s}^{2}}\right) - \frac{3}{2} \right] - \sum_{i} m_{\xi_{i}}^{2} \left[\log\left(\frac{m_{\xi_{i}}^{2}}{\mu_{s}^{2}}\right) - \frac{3}{2} \right] \\ &+ \frac{3}{2} m_{W'}^{2} \left[\log\left(\frac{m_{W'}^{2}}{\mu_{h}^{2}}\right) - \frac{5}{6} \right] + \frac{3}{4} m_{Z'}^{2} \left[\log\left(\frac{m_{Z'}^{2}}{\mu_{h}^{2}}\right) - \frac{5}{6} \right] \Biggr\} , \end{split}$$

where the field dependent masses are given by

$$m_t^2 = Y_t^2 h^2 / 2 , \quad m_W^2 = g^2 h^2 / 4 , \quad m_Z^2 = (g^2 + (g')^2) h^2 / 4$$
$$m_{\chi_i}^2 = Y_{\chi_i}^2 s^2 / 2 , \quad m_{\xi_i}^2 = Y_{\xi_i}^2 s^2 / 2 , \quad m_{W'}^2 = g_X^2 s^2 / 4 , \quad m_{Z'}^2 = (g_X^2 + (g_X')^2) s^2 / 4$$

Beta Functions

$$\begin{aligned} \frac{d\lambda_{H}}{dt} &= \beta_{\lambda_{H}} &= \beta_{\lambda_{H}}^{\rm SM} + \frac{1}{16\pi^{2}} 4\lambda_{\Sigma H}^{2} \\ \frac{d\lambda_{\Sigma}}{dt} &= \beta_{\lambda_{\Sigma}} &= \frac{1}{16\pi^{2}} \left(12\lambda_{\Sigma}^{2} + 4\lambda_{\Sigma H}^{2} - 9g_{X}^{2}\lambda_{\Sigma} - 3(g_{X}')^{2}\lambda_{\Sigma} + \frac{9}{4}g_{X}^{4} + \frac{3}{4}(g_{X}')^{4} + \frac{3}{2}g_{X}^{2}(g_{X}')^{2} \\ &- 4\sum_{i} (Y_{\xi_{i}}^{4} + Y_{\chi_{i}}^{4}) + 4\lambda_{\Sigma}\sum_{i} (Y_{\xi_{i}}^{2} + Y_{\chi_{i}}^{2}) \right) \end{aligned}$$

$$\begin{aligned} \frac{d\lambda_{\Sigma H}}{dt} &= \beta_{\lambda_{\Sigma H}} \quad = \quad \frac{1}{16\pi^2} \Big[4\lambda_{\Sigma H}^2 + 6(\lambda_H + \lambda_{\Sigma})\lambda_{\Sigma H} - \frac{\lambda_{\Sigma H}}{2} \Big(3(g')^2 + 9g^2 + 9g_X^2 + 3(g_X')^2 \Big) \\ &+ \lambda_{\Sigma H} \Big(6Y_t^2 + 2\sum_i (Y_{\xi_i}^2 + Y_{\chi_i}^2) \Big) \Big] \end{aligned}$$

$$\frac{dg_X}{dt} = \beta_{g_X} = -\frac{1}{16\pi^2} \frac{39}{6} g_X^3$$

$$\frac{dg'_X}{dt} = \beta_{g'_X} = \frac{1}{16\pi^2} \frac{13}{6} (g'_X)^3$$

$$\begin{aligned} \frac{dY_{\xi_i}}{dt} &= \beta_{Y_{\xi_i}} &= \frac{1}{16\pi^2} Y_{\xi_i} \left(\frac{3}{2} (Y_{\xi_i}^2 - Y_{\chi_i}^2) + \sum_j (Y_{\xi_j}^2 + Y_{\chi_j}^2) - \frac{9}{4} g_X^2 - \frac{3}{4} (g_X')^2 \right) \\ \frac{dY_{\chi_i}}{dt} &= \beta_{Y_{\chi_i}} &= \frac{1}{16\pi^2} Y_{\chi_i} \left(\frac{3}{2} (Y_{\chi_i}^2 - Y_{\xi_i}^2) + \sum_j (Y_{\xi_j}^2 + Y_{\chi_j}^2) - \frac{9}{4} g_X^2 - \frac{15}{4} (g_X')^2 \right) \end{aligned}$$

Wolfgang Altmannshofer